



Topic 1: Integration and applications of integration

This week:

Applications of integral calculus:

• use and apply the probability density function,  $f(t) = \lambda e^{-\lambda t}$  for  $t \ge 0$ , of the exponential random variable with parameter  $\lambda > 0$ , and use the exponential random variables and associated probabilities and guantiles to model data and solve practical problems.

# Theoretical Components

### Read the notes and study the examples. (Classroom/ABOUT/Resources/WK06)

#### Further notes/examples:

https://tutorial.math.lamar.edu/classes/calcii/proba bility.aspx

https://amsi.org.au/ESA\_Senior\_Years/PDF/ExpoNor mDist4f.pdf

#### Calculator Applet:

https://homepage.divms.uiowa.edu/~mbognar/appl ets/exp-like.html

#### Key Points:

- The exponential distribution is often concerned with the amount of time until some specific event occurs.
- The random variable for the exponential distribution is continuous and often measures a passage of time.
- The exponential distribution is often used to model the longevity of an electrical or mechanical device.
- The memoryless property says that knowledge of what has occurred in the past has no effect on future probabilities.

## Practical Components

### Exercises:

Attempt all questions from here:

• See WK06 folder in Google Drive. Attempt all the questions.

## Investigation

None this week.



Video: <u>https://www.probabilitycourse.com/videos/chapter4/video4\_8.php</u>